

# Efficient Graph Classification In Shifted Datasets using Weighted Correlated Feature Selection

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**Presenter:**

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# OUTLINE

- ▶ Introduction
  - ▶ Background Study
  - ▶ Related works & Motivation
  - ▶ Contributions
  - ▶ Proposed Approach
  - ▶ Conclusions
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# INTRODUCTION

- ▶ Recently Machine Learning and Data Mining fields are experiencing a trend of dataset shift
- ▶ Inter-domain Knowledge is extracted and utilized to improve learning system performance
- ▶ Graph, a sophisticated data structure, is capable of capturing effective correlation among objects
- ▶ Classification of graphs have great impact on real life applications e.g. human behavior prediction in social networks
- ▶ Applications involved knowledge transferring requires specialized classifier model
- ▶ Designing a classifier, capable of inter-domain knowledge capturing, is challenging and demanding

# BACKGROUND

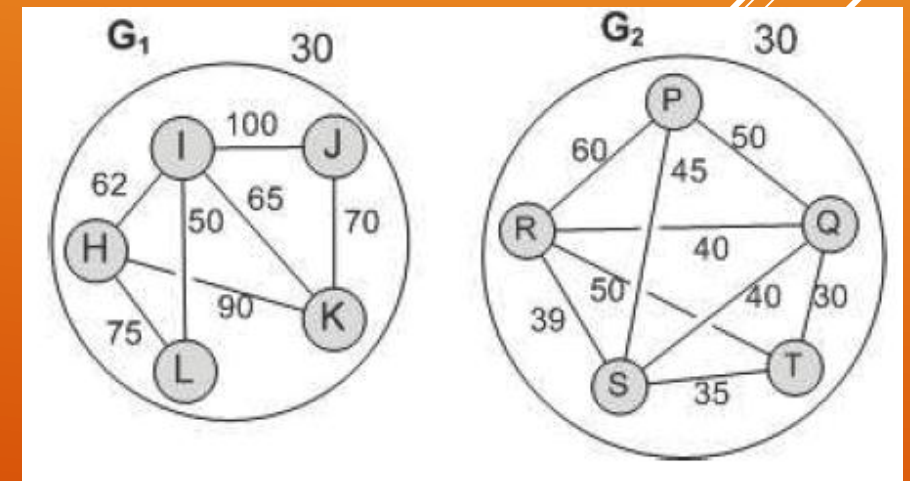
- ▶ Graph classification is important for predicting behavior or type or class of unknown graphs
- ▶ Graph classification is done by:
  - ▶ Feature selection
  - ▶ Classification
- ▶ Correlation of a graph  $G_s$   $gConfidence(G_s) = \frac{|G_s = subgraph(G \in GD)|}{\max_{\forall e_i \in E(G_s \in GD)} \{freq(e_i)\}}$

Here for G1, Numerator = 30, Denominator = 100

Therefore,  $gConfidence(G1) = 0.3$  and for G2, Numerator = 30, Denominator = 60. Therefore,  $gConfidence(G2) = 0.5$

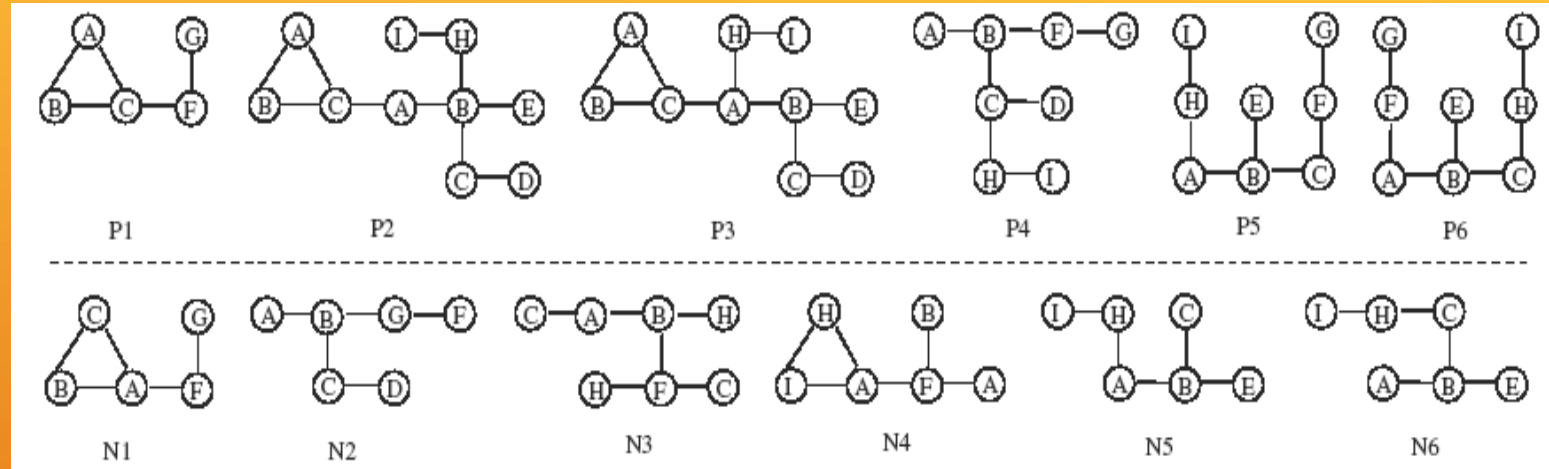
$$gConfidence(G1) < gConfidence(G2)$$

Hence, G2 is more inherently correlated than G1

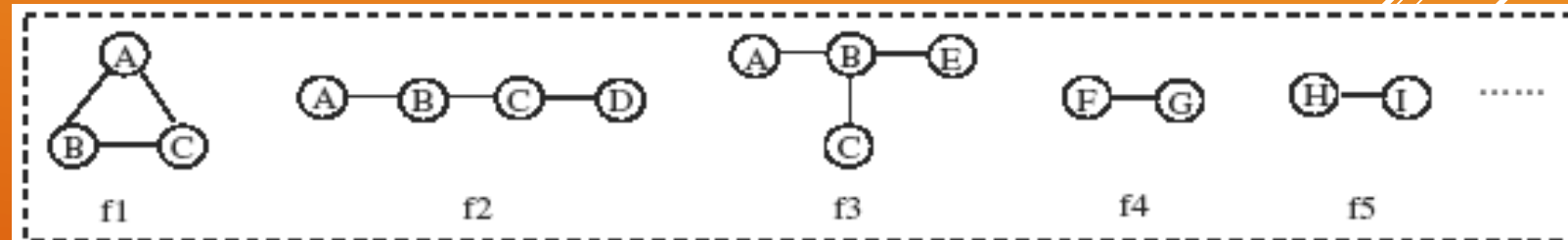


# BACKGROUND ...

- Few existing classifiers use discriminative fragments, extracted from a set of frequent features, for classifier model construction
- f1 has a discriminative score =  $\log(3/1) = 0.477$ . Similarly, discriminative score of f4 =  $\log(4/2) = 0.301$ .
- It is clear that f1 is more discriminative wrt f4 and can be a better candidate in constructing classifier



Sample DB

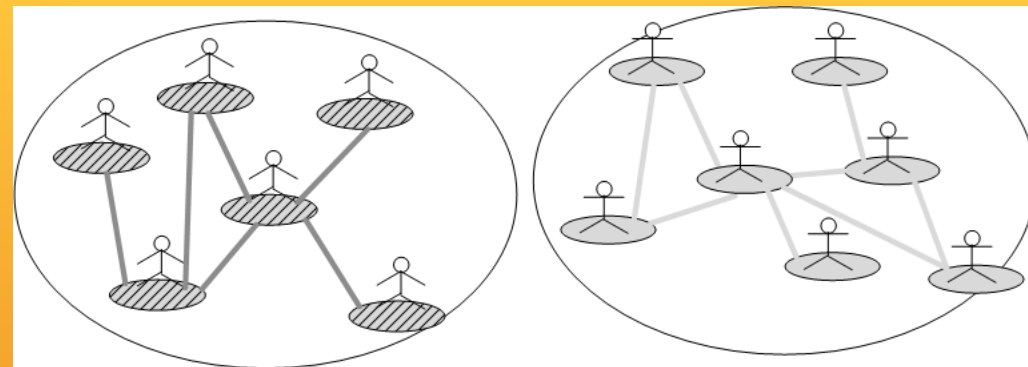


Frequent Fragments

Discriminative score


$$\text{score}(f) = \log \frac{r^+(f)}{r^-(f)}, \text{ where } r^+(f) = \frac{|\text{supp}(f, D^+)|}{|D^+|} \text{ and } r^-(f) = \frac{|\text{supp}(f, D^-)|}{|D^-|}$$

# RELATED WORKS & MOTIVATIONS



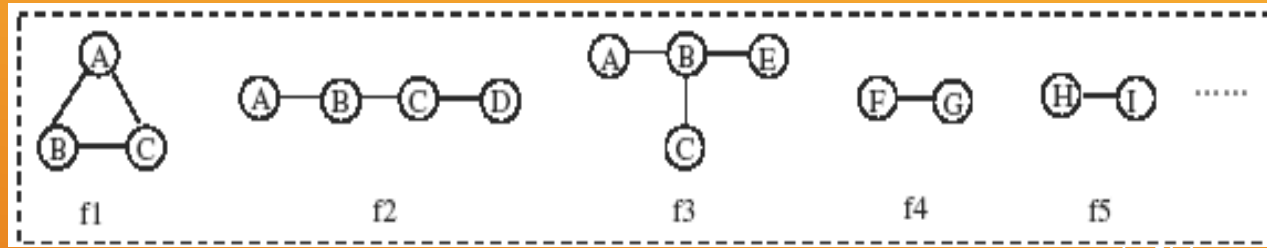
- ▶ For classifying graphs and model construction, some approaches [Yan et al, SIGMOD'08] mined features from frequent graphs and some [Jin et al, CIKM'09] considered co-occurring subgraphs. There exist some approaches [Zhu et al, CIKM'12] which additionally considered diversity among features for better classification.
- ▶ Existing graph based transfer learning approaches mined significant (frequent) subgraphs using semi-supervised learning method [Shi et al, SDM'12] and some alleviated knowledge from domain to domain using graphs [Jingrui et al, CIKM'09].
- ▶ No other earlier model considered correlation among entities during classification
- ▶ Correlation is a key indicator for classification of graphs and transferring knowledge between domains
- ▶ Scenario:
  - ▶ A social network (facebook, Twitter, LinkedIn) with several groups can be divided into classes based on their behavior.
  - ▶ The behavioral classification can be more effective by considering correlation among the persons. A group of researcher, students, businessmen and other professionals in a network like FaceBook can be better classified and the knowledge can be used in Twitter.

# CONTRIBUTIONS

- ▶ Correlation based feature selection
  - ▶ New diversity capturing score is proposed
  - ▶ Effective classifier construction for classifying graphs
  - ▶ Neural Network based leaning method to adjust the classifier in transferred environment
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# PROPOSED APPROACHES: MEASURES

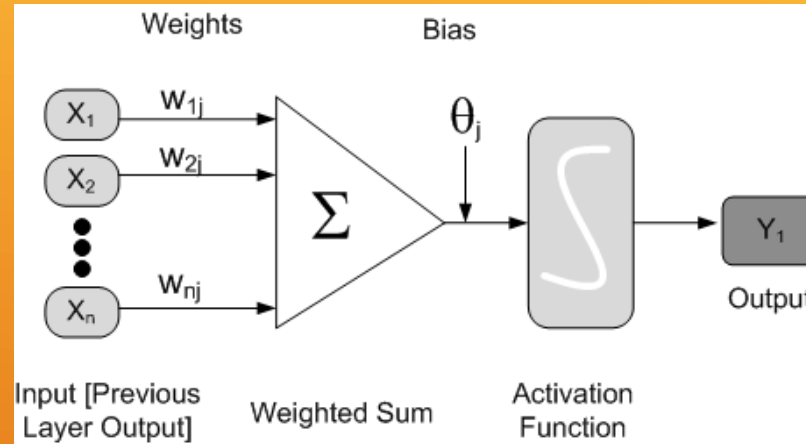
- ▶  $gDistance(G_1, G_2) = \sum_{i=1}^5 a_i \times cf_i$ 
  - ▶  $a_i$  represents the number of operation to convert  $G_2$  into  $G_1$  for
    - ▶ Addition of (**i=1**) vertices, (**i=2**) edges,
    - ▶ Deletions of (**i=3**) vertices, (**i=4**) edges and
    - ▶ Reversing (**i=5**) edge directions
  - ▶  $cf_i$  is the cost factor (weight of operations)



- ▶  $gDistance(f1, f2) = 3$ . Since, the edge (A, C) need to be deleted and the vertex "D" along with edge (C, D) should be added to convert f1 into f2.
- ▶  $Diversity(G) = \min_{\forall sG, sG=subset(G)} gDistance(G, sG)$
- ▶  $CDDF(G) = w \times gConfidence(G) + (1 - w) \times Diversity(G)$
- ▶  $Score_{CDDF} = \log \frac{CDDF^+(G)}{CDDF^-(G)}$
- ▶ The score will be positive for positive labeled graphs and similarly negative for negative graphs.



# PROPOSED APPROACHES: MODEL



- ▶  $X_1, X_2 \dots X_n$  are treated as input layer units for  $n$  Independent Variables and initialized as usual
- ▶ Classification output is  $Y$ , the dependent variable with the domain  $\{0,1\}$  for binary classification
- ▶ The model with  $m$  number of hidden layer and  $h$  number of units per layer have following units :  $H_{1,1}, H_{1,2}, \dots, H_{1,h}, H_{2,1}, H_{2,2}, \dots, H_{2,h}, \dots \dots H_{m,1}, H_{m,2}, \dots, H_{m,h}$
- ▶ Connection weights between  $q^{th}$  and  $(q+1)^{th}$  layer units  $r$  and  $s$ , respectively, are denoted as  $W_{(q,r),(q+1,s)}$ .

# PROCEDURES

- ▶ Two Sets of best- $k$  features  $F^+$  and  $F^-$  are extracted from two source datasets  $D^+$  and  $D^-$  which constitutes a set of  $n$ -features  $\{f_1, f_2, \dots, f_n\}$  with highest correlated and discriminative feature score is selected and a weight of 1 is assigned [where  $n \leq 2*k$ ]
- ▶ Suppose in target domain, there are a few graphs  $G_L$  for learning and several unlabeled graph  $G_T$  for testing.
- ▶ Then NN based backpropagation algorithm is applied to adjust the weights of the features wrt the class labels of the graphs  $G_L$ .
- ▶ The feature weight adjustment is performed for every graph of the training dataset.
- ▶ Then for any newly coming graph of  $G_T$  with unknown label is tested for coverage by the features in both dataset.
- ▶ Now, the sum of positive feature weights and sum of negative feature weights are considered for log ratio calculation to estimate the label of the testing graph in target domain.

# CONCLUSIONS

- ▶ Graph classification, especially in the transfer learning domain, is one of the most crucial topics in state-of-the-art machine learning research
- ▶ For the first time we have proposed a correlation based graph classification approach as well as a new diversity capturing measure, which are used for developing classification model
- ▶ Neural network based learning model is proposed that can be used for compensating the changes in transferred learning environments
- ▶ Currently we are working on experimental analysis to evaluate the performance of our approach and its supremacy.

Thanks ...

